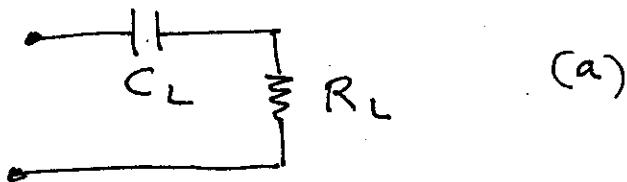


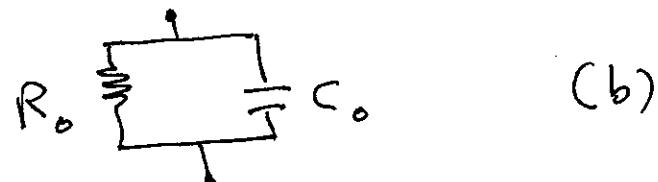
1/3

Lossless impedance matching requires the ability of transforming a resistance R_L (say a LOAD) to a new value, call it R_o . We may transform this resistance either up or down in value in relation to R_L . For simplification here, will treat the case where the new value R_o is **LARGER** than R_L and R_L is just 50Ω .

A basic transform network is the **ell** network (topology looks like the letter L when drawn) and it is easy to show that this network in its series form - for example,



has an equivalent parallel form, for example,



These forms are equivalent, since it is possible to write the impedance Z for network (a) as an admittance Y for figure (b).

Then, I can equate the REAL or resistance part of (a), R_L , to the REAL part or conductance part of (b), or G_0 . I can do the same for the IMAGINARY parts and a find a C_L (series part of (a)) REACTANCE that is equivalent to the parallel C_0 or susceptance. These networks are equivalent in so far as they have identical resonant frequency and bandwidth. That is to say they have identical Q 's. So, $Q_{\text{series}} = Q_{\text{parallel}}$! Now, there is some algebra involved to find this relation - I'll spare you the details. The results though are easy to use and they are an invaluable tool in design.

$$R_0 = R_L (Q_s^2 + 1) \quad (1)$$

$$\text{where } Q_s = \frac{X_{C_L}}{R_L} \quad (2)$$

$$Q_s = Q_p \Rightarrow \frac{X_{C_L}}{R_L} = \frac{R_0}{X_{C_0}} \quad (3)$$

and $R_0 > R_L$.

An example - At 3 MHz, let our desired Port be capable of 250mW with a transistor operating at 14V. Let $V_{CC} = 14V$ and $V_{CESAT} = 2V$ (a little high but easier math!) Then at 3MHz

$$R_o \Rightarrow \frac{(V_{CC} - V_{CE\text{SAT}})^2}{2 R_o} = \text{Power} = \frac{144}{(2)(0.25W)} = \underline{\underline{288\Omega}}^{\frac{3}{3}}$$

Then need to match 288Ω to 50Ω .

$$R_o = 288\Omega \quad R_L = 50\Omega$$

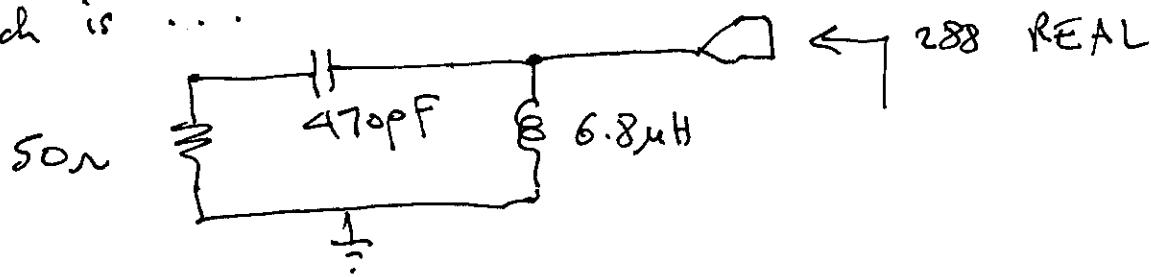
$$Q_s = \sqrt{\frac{288}{50} - 1} = 2.2 \quad \text{and} \quad Q_s = \frac{X_{C_L}}{R_L} = 2.2$$

This uses our Eqn ① and ②. Then $X_{C_L} = (2.2)(50)$

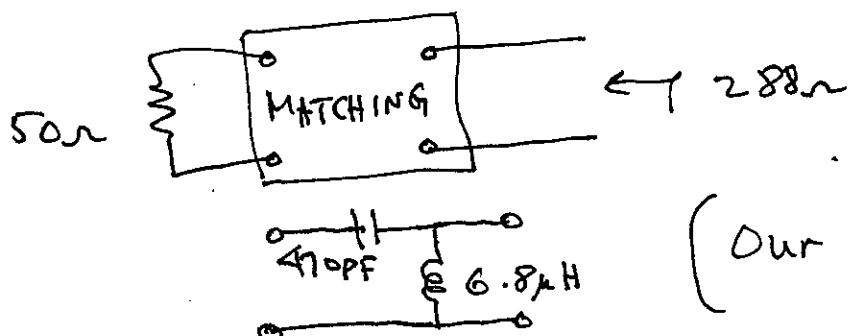
$X_{C_L} = 110\Omega$ or 480pF (470pF). Now need C_0 on parallel equivalent C. The Q's are equal - so...

$$\frac{110}{50} = \frac{288}{X_{C_0}} \quad \text{on } X_{C_0} = 288 \left(\frac{50}{110} \right) = 130\Omega$$

for X_{C_0} of 130Ω , $C_0 = 408\text{pF}$. Finally need to cancel our reactance so all that remains is the lossless match of 50Ω to 288Ω . A shunt L of 130Ω on $6.8\mu\text{H}$ ($6.8\mu\text{H}$) is chosen. So our match is ...



Therefore we have ...



(Our all networks)